

The Political Economy of Labor Policy

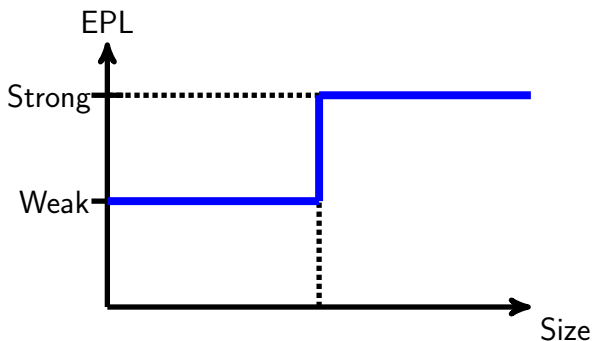
Diego Huerta

January 20, 2022

- Employment protection legislations (**EPLs**) \Leftrightarrow Dismissal regulations.

Motivation

- Employment protection legislations (**EPLs**) \Leftrightarrow Dismissal regulations.
- **Observation:** Smaller firms face weaker EPLs than large firms (**S-shaped EPLs**).



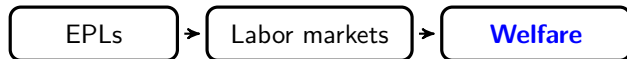
Why does EPLs design matter?

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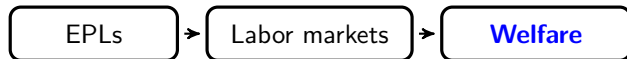
- Schivardi and Torrini (2008); Leonardi and Pica (2013); Martins (2009); Boeri and Jimeno (2005).

Why does EPLs design matter?

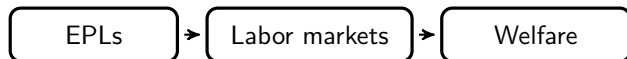


- Garicano et al. (2016); Gourio and Roys (2014); Guner et al. (2008).

Why does EPLs design matter?

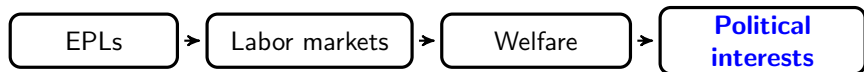


- Welfare costs of S-shaped EPLs: **3.5 %** of GDP.

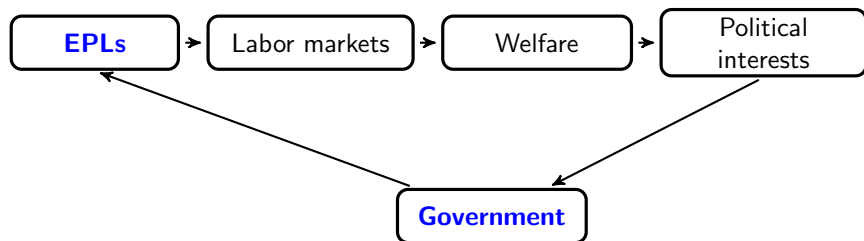


- **Main Question:**
How do S-shaped EPLs come to exist?

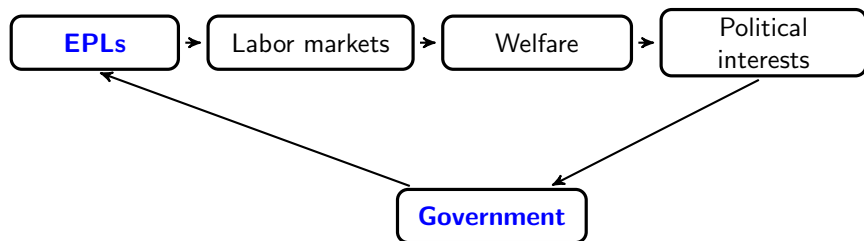
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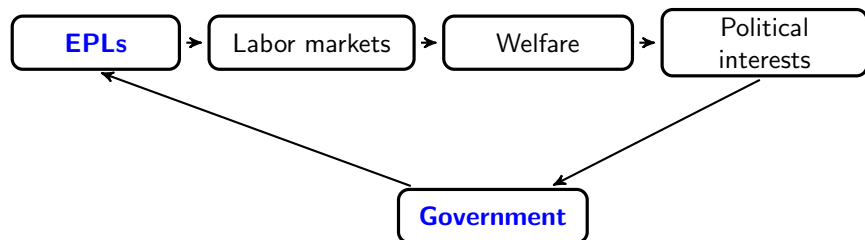


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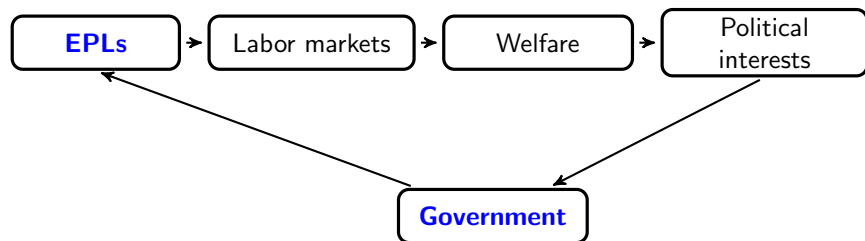


- Policy intervention works on the extensive margin.

Motivation



- Policy intervention works on the extensive margin.
- **Positive perspective.**



- Saint-Paul (1996, 2002); Boeri and Jimeno (2005).

- 1 S-shaped EPLs arise as an equilibrium outcome.

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- 2 Model for the study of the scope of EPLs that links:
 - Labor.
 - Macro.
 - Political economy.

Main Question: How do S-shaped EPLs come to exist?

- ① Economic interests towards EPLs?

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- ③ Implementation?

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- ① Economic interests towards EPLs?
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 - S-shaped regardless of political orientation.
- ③ Implementation?
 - Decentralized bargaining between unions and entrepreneurs.

1 Motivation

2 Facts

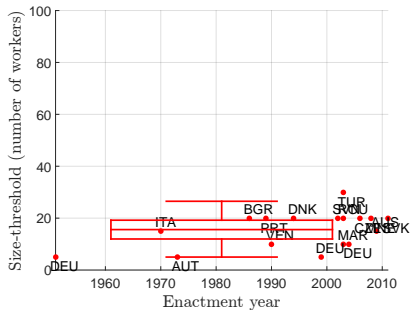
3 Model

4 Results

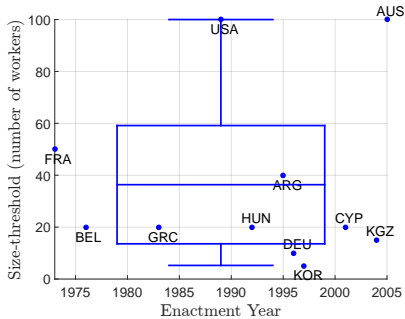
- Political Preferences
- Equilibrium EPLs design

5 Conclusions

Dismissal regulations (EPLs)



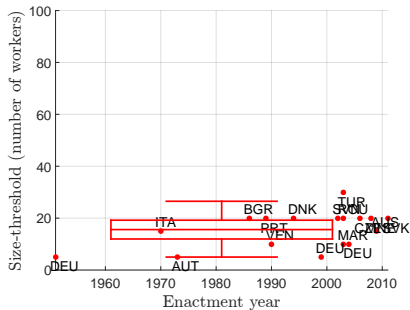
Size-threshold, left-wing.



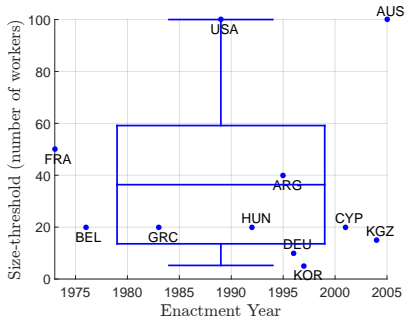
Size-threshold, right-wing.

- **Fact 3:** Left-wing defines a lower size-threshold.

Dismissal regulations (EPLs)



Size-threshold, left-wing.



Size-threshold, right-wing.

- **Fact 4:** S-shaped EPLs used either by the left or the right.

1 Motivation

2 Facts

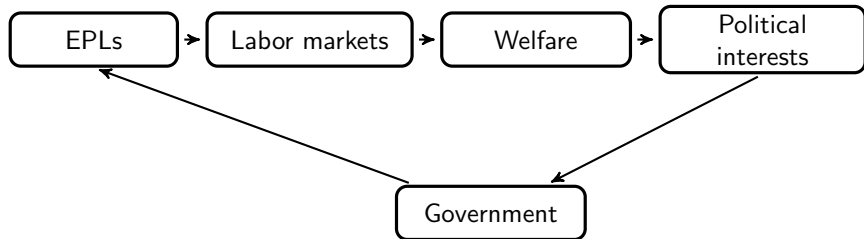
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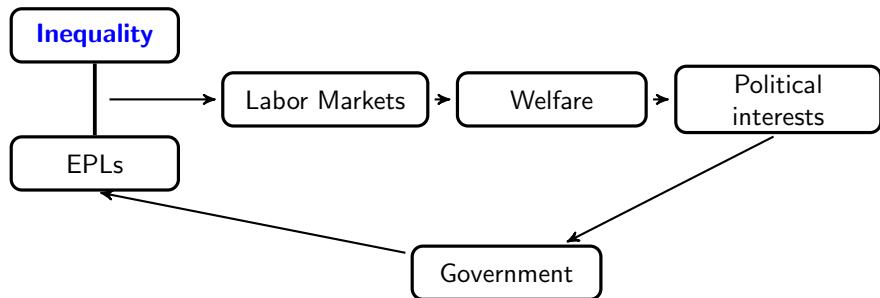
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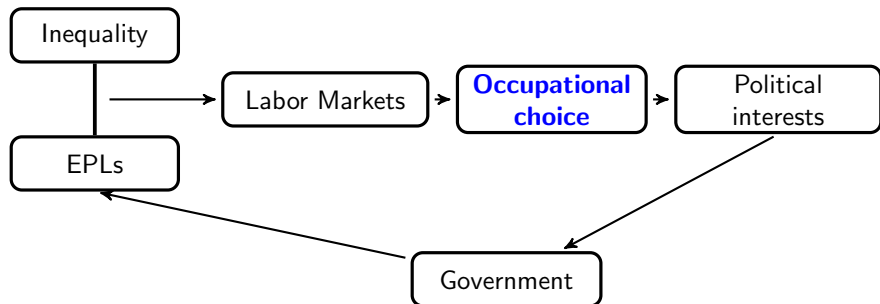
Model



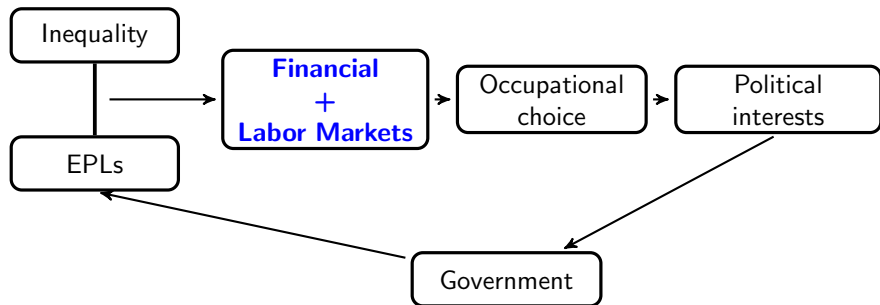
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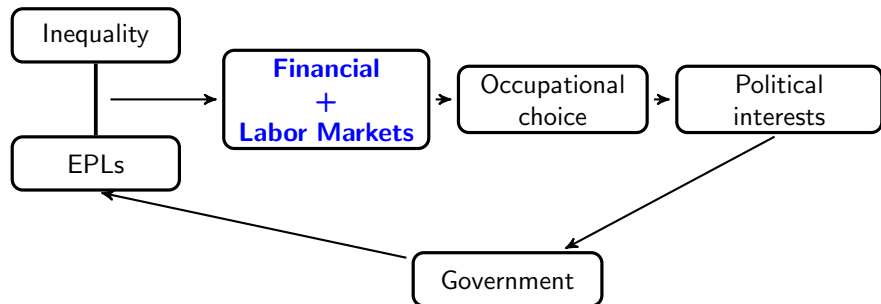


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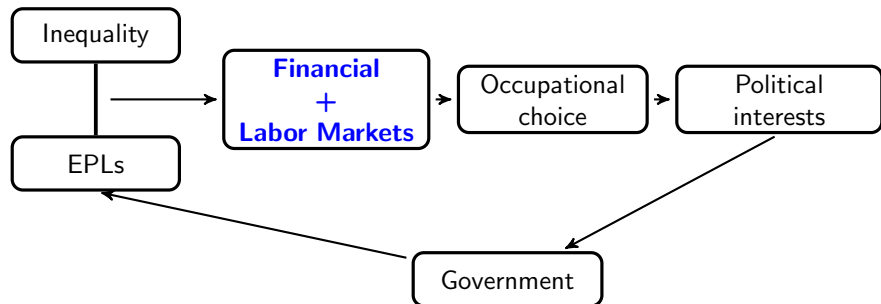


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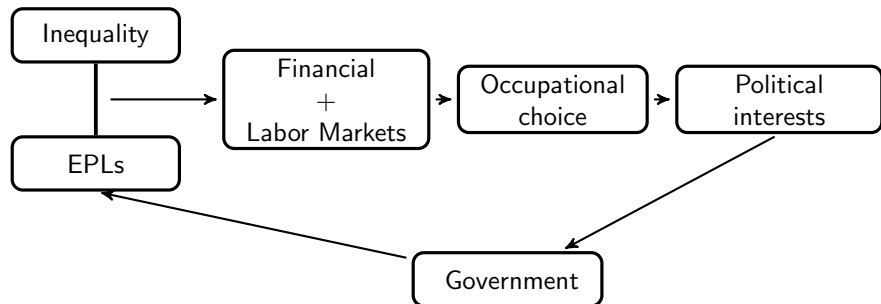




- EPLs distort firms decisions through a financial channel (Simintzi et al., 2015; Serfling, 2016; Bai et al., 2020).



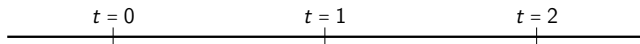
- EPLs distort firms decisions through a financial channel (Simintzi et al., 2015; Serfling, 2016; Bai et al., 2020).
- **Financial frictions matter.**



- **Model:**
builds on Fischer and Huerta (2021, *JPubE*).

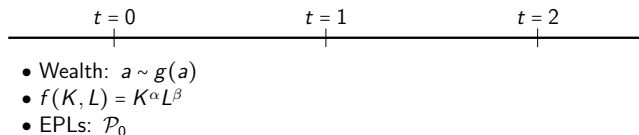
Model: timing

- Dismissal regulations (EPLs): $\phi \in \{\phi_0, \phi_1\}$, $\phi_1 > \phi_0$.
- Labor policy design, $\mathcal{P}(a) : [0, a_{max}] \rightarrow \{\phi_0, \phi_1\}$.



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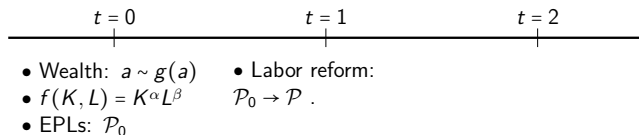
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$$\mathcal{P}_0(a) = \phi_0$$

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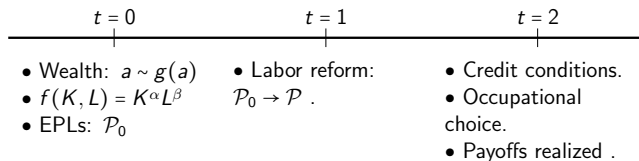
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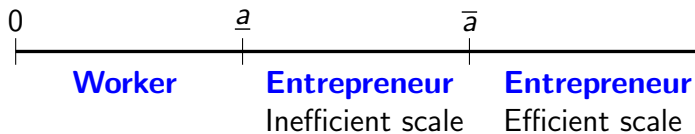
Government intervention: $\phi_0 \rightarrow \phi_1$

Model: timing

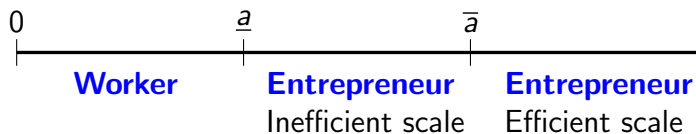
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Equilibrium given $\mathcal{P}_0(a) = \phi_0$.



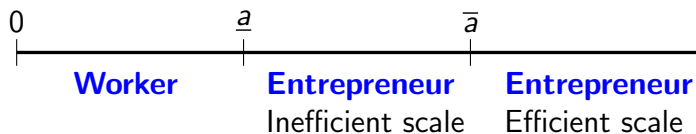
Equilibrium given $\mathcal{P}_0(a) = \phi_0$.



Some notation:

- $\mathbb{E}w = (1 - s)w + s\phi w$

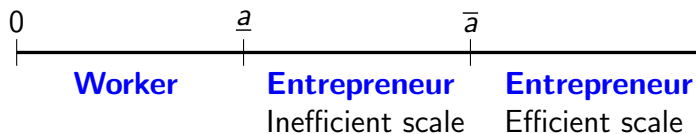
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Some notation:

- $\mathbb{E}w \cdot L = [(1 - s)w + s\phi w] \cdot L$

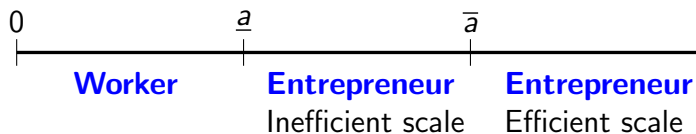
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Some notation:

- $\mathbb{E}w \cdot L = [(1 - s)w + s\phi w] \cdot L$
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Equilibrium given $\mathcal{P}_0(a) = \phi_0$.



Some notation:

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- $U^w(a|\mathcal{P}) \propto \mathbb{E}w \cdot L$
- $U^e(a|\mathcal{P}) \propto f(K, (1-s)L) - \mathbb{E}w \cdot L$

Government's problem

- Chooses $\mathcal{P}(a) : [\underline{a}, a_{max}] \rightarrow \{\phi_0, \phi_1\}$.

$$\begin{aligned} \max_{\mathcal{P}=\{\mathcal{P}(a)\}_0^{a_{max}}} & \{ \bar{U}(\mathcal{P}, \lambda) \equiv \lambda \cdot \mathbb{E}_g[U^w(a|\mathcal{P})] + (1 - \lambda) \cdot \mathbb{E}_g[U^e(a|\mathcal{P})] \} \\ \text{s.t.} & \quad \mathbb{E}_g[L_s|\mathcal{P}] = \mathbb{E}_g[L|\mathcal{P}] \end{aligned}$$

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Political Preferences for EPLs (ϕ)

Scale sector	Worker	Entrepreneur
--------------	--------	--------------

Small ($a < \hat{a}$)



Large ($a > \hat{a}$)

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- **Small:** $\uparrow \phi \Rightarrow \downarrow \text{credit} \Rightarrow \downarrow \text{Investment} \Rightarrow \downarrow \text{efficient}$.

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- **Small:** $\uparrow \phi \Rightarrow \downarrow \text{credit} \Rightarrow \downarrow \text{Investment} \Rightarrow \downarrow \text{efficient}$.
- **Large:** $\uparrow \phi \Rightarrow \uparrow \text{labor costs}$, but still efficient.

Political Preferences for EPLs (ϕ)

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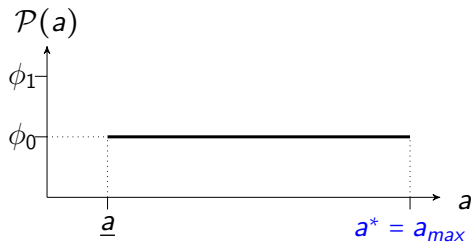
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- **Result:** \mathcal{P} must be monotone.
- Size threshold, $a^* \in [\underline{a}, a_{max}]$:

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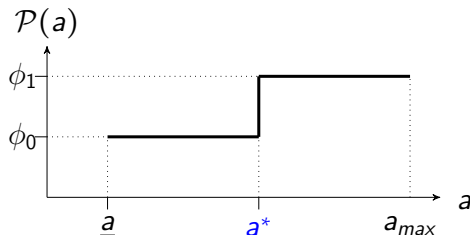
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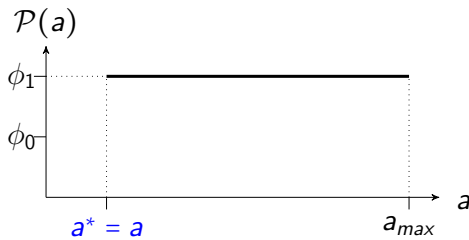
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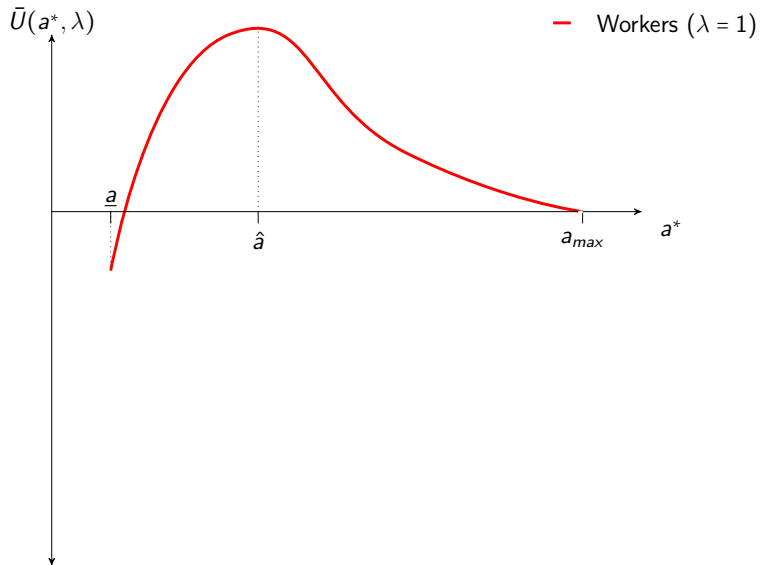
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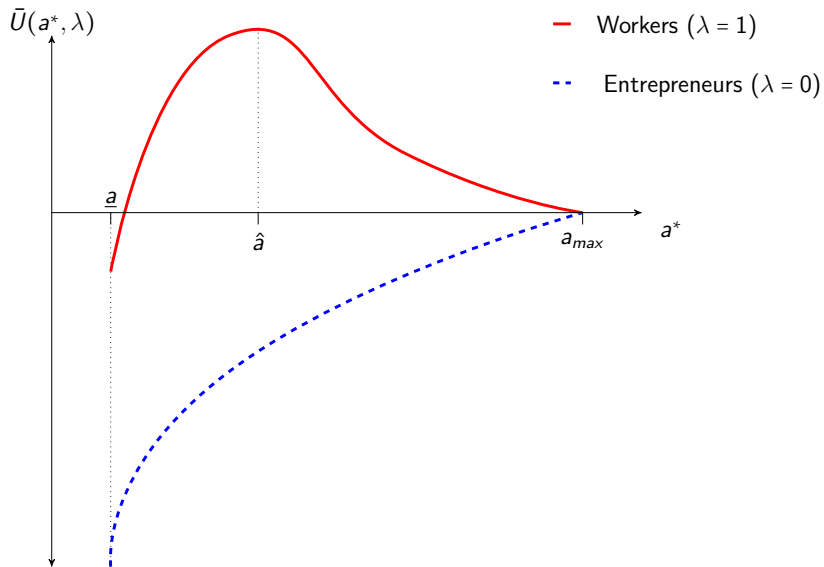
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Sticky wages
wage = $w(\mathcal{P}_0)$

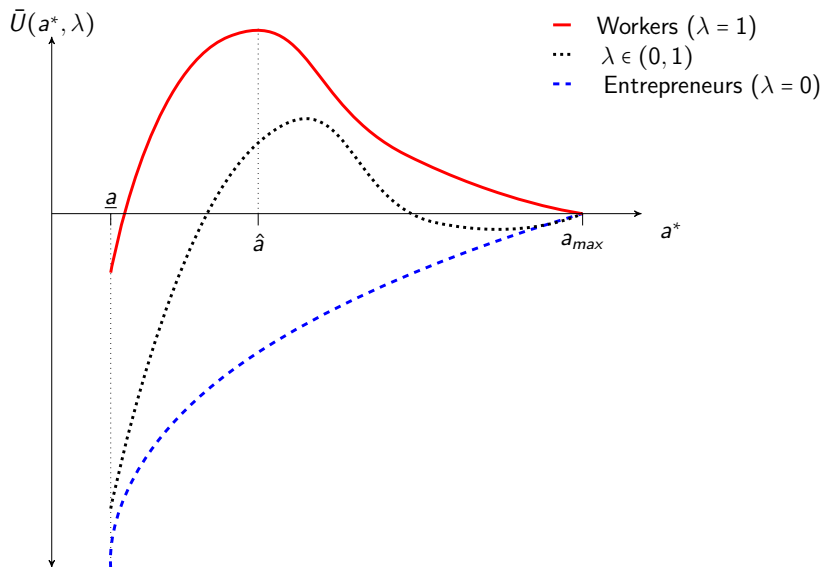
Sticky wages: government's weighted-welfare



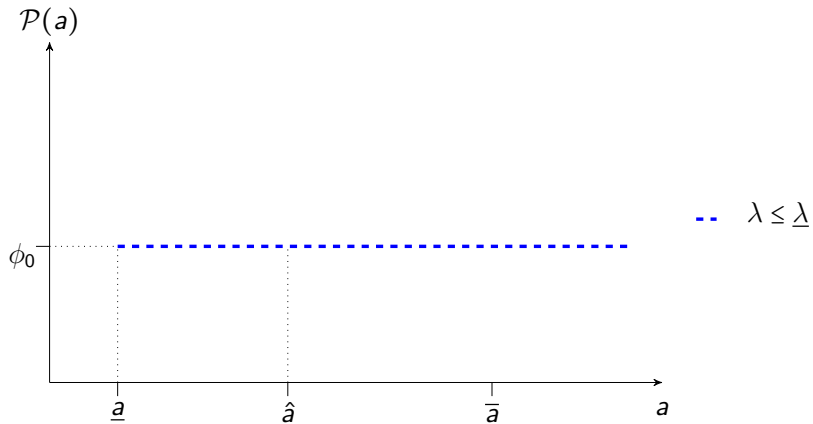
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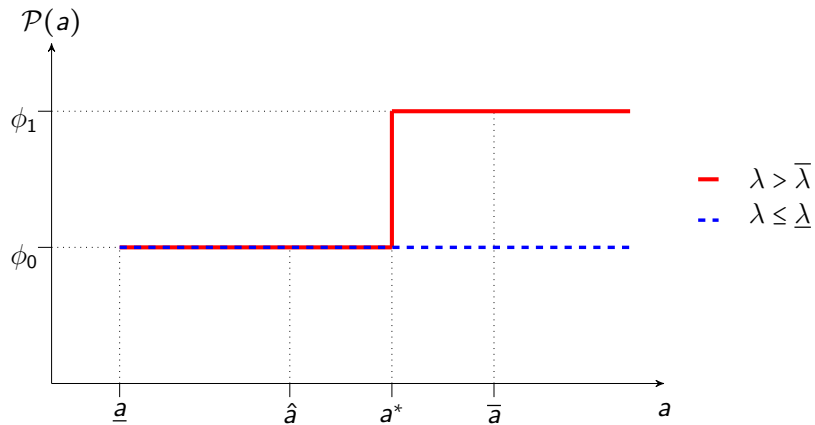
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Sticky wages: equilibrium policy



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Flexible wages
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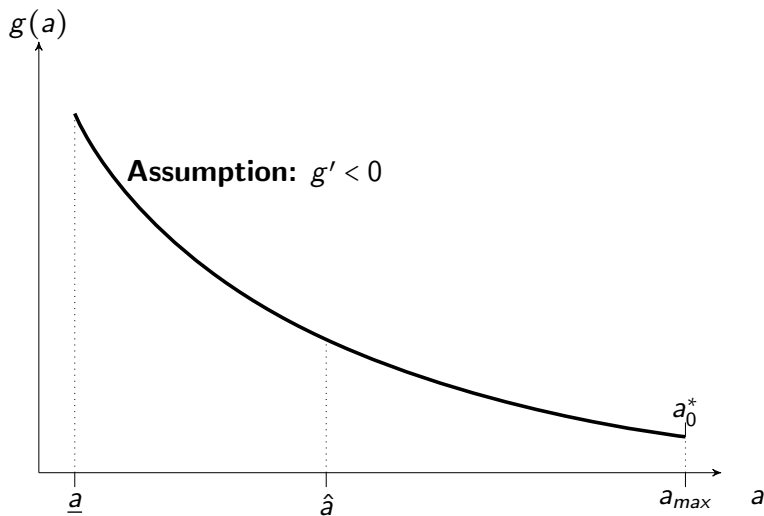
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YES! For any λ .

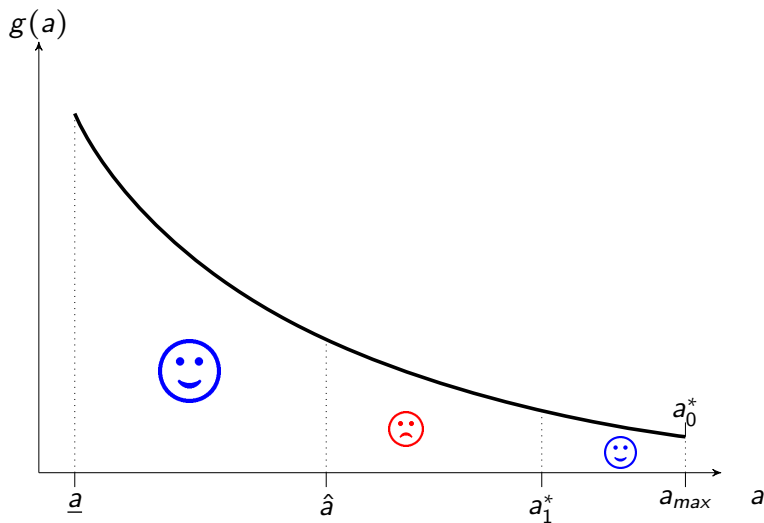
Flexible wages: intuition

Workers ($\lambda = 1$)



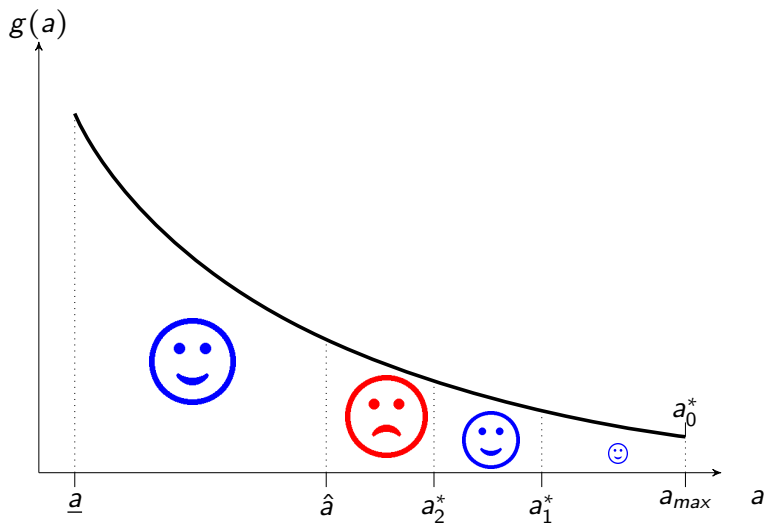
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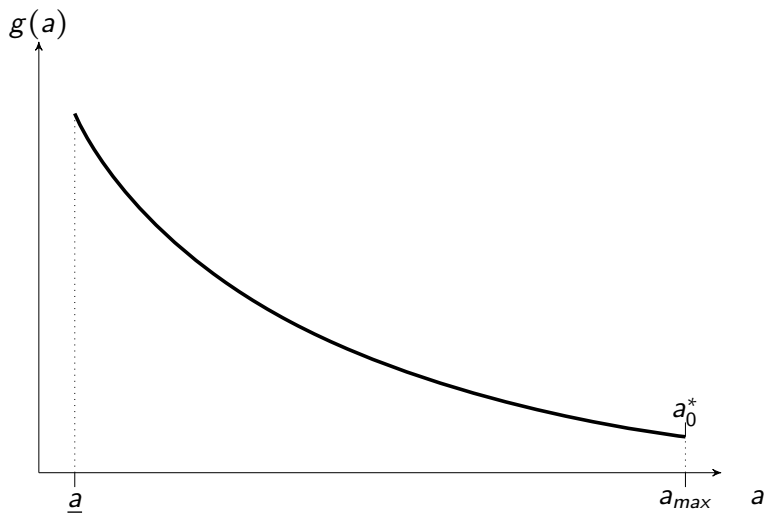
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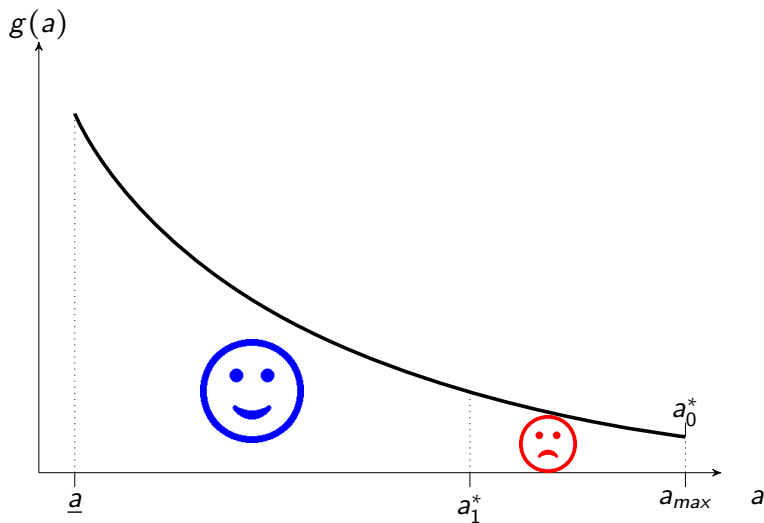
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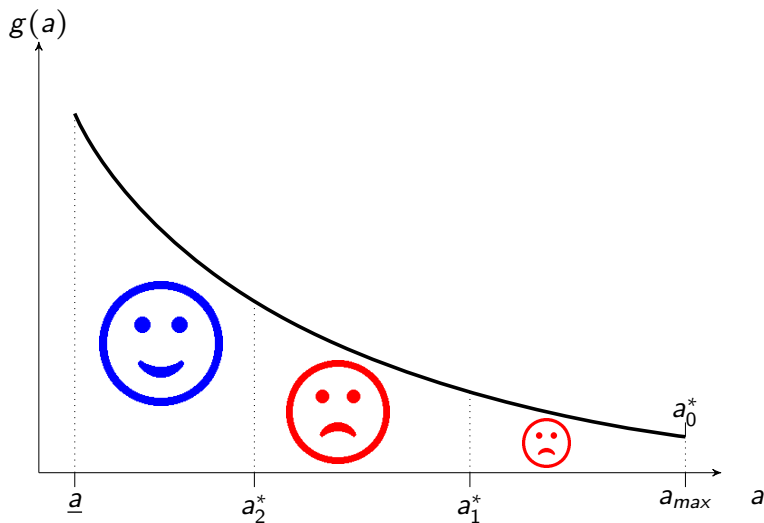
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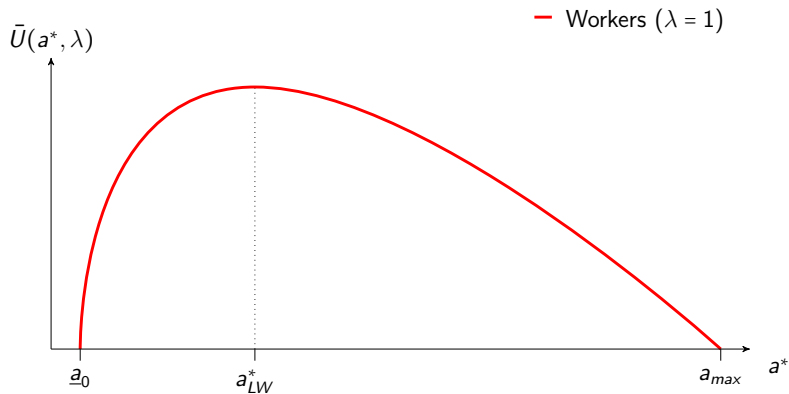


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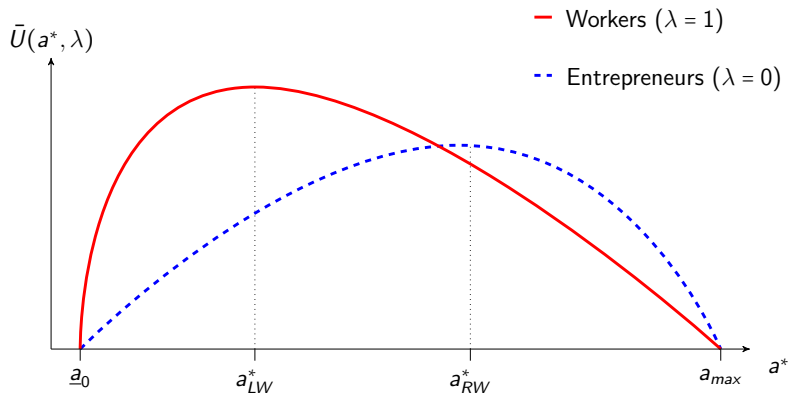
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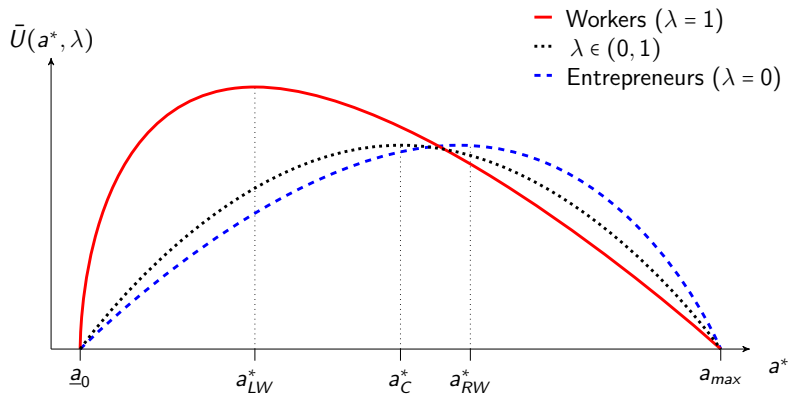
Flexible wages: government's weighted-welfare



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Equilibrium policy: takeaways

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Equilibrium policy: takeaways

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- 2 **Flexible wages:** S-shaped EPLs are implemented either by the left or the right.
 - Right-wing: *'regulate large businesses to foster small businesses growth'*.
 - Left-wing: *'do not regulate small businesses to protect their workers'*.
- 3 Left-wing sets a lower size-threshold.

Main message:

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Extensions:

- Individual and collective dismissal regulations.
- Other size-contingent regulations
 - Special tax treatments.
 - Credit subsidies.
 - Size restrictions in retail sector.
- Political process (probabilistic voting).

THANKS!

$$U^e(a, D, L|\mathcal{P}) = f(K, (1-s)L) - (1-s)wL - s\phi wL - (1+\rho)D - F$$

Entrepreneurs' problem

$$\max_{D,L} U^e(a, D, L|\mathcal{P})$$

$$s.t. \quad U^e(a, D, L|\mathcal{P}) \geq u^w(\mathcal{P}) + (1+\rho)a, \quad (PC)$$

$$U^e(a, D, L|\mathcal{P}) \geq \phi K \quad (IC),$$

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Individual worker

$$u^w(\mathcal{P}) = [(1 - s) + s\phi]wL_s - \zeta(L_s)$$

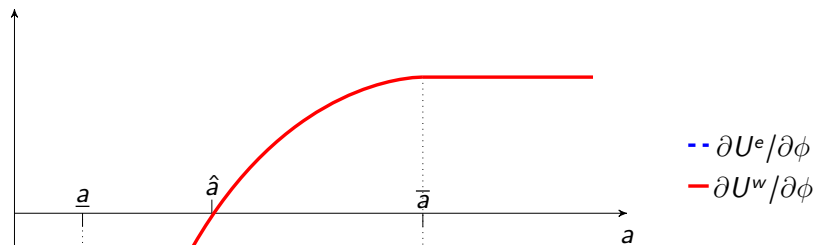
with $\zeta(L_s) = L_s^\gamma$ and $\gamma > 2$.

Group of workers in firm a

$$U^w(a|\mathcal{P}) = \frac{L}{L_s} \cdot u^w(\mathcal{P})$$

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Political Preferences



Back to [main](#)

Worker's welfare under S-shaped EPLs

- Individual expected utility:

$$\mathbb{E}u^w = \frac{m^0}{m^0 + m^1} u_0^w + \frac{m^1}{m^0 + m^1} u_1^w$$

- Aggregate workers' welfare:

$$\bar{U}^w = \left[\frac{m^0}{m^0 + m^1} u_0^w + \frac{m^1}{m^0 + m^1} u_1^w \right] \cdot G(\underline{a}) = m_0 u_0^w + m_1 u_1^w$$

- Welfare equivalence:

$$m_0 u_0^w + m_1 u_1^w = \int_{\underline{a}}^{a^*} U^w(a|\phi_0) dG + \int_{a^*}^{a_{max}} U^w(a|\phi_1) dG$$

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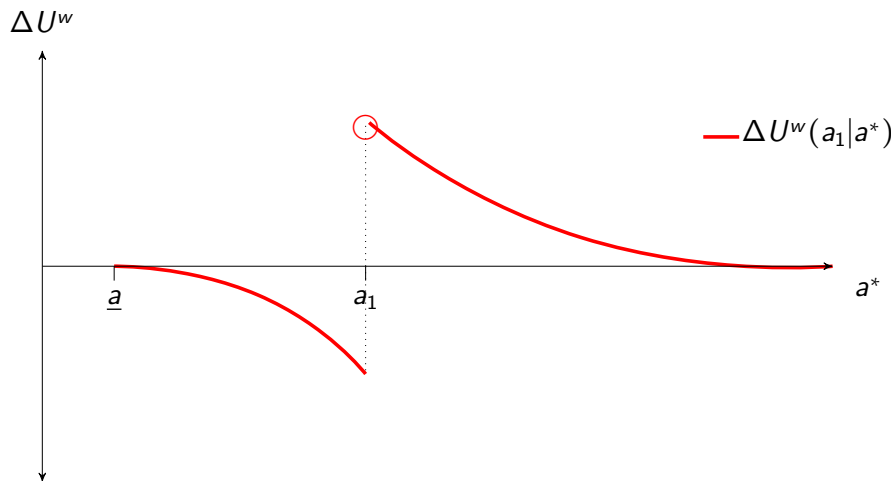
Government's problem with S-shaped EPLs

$$\begin{aligned} \max_{a^* \in [\underline{a}, a_{max}]} & \left\{ \bar{U}(a^*, \lambda) \equiv \lambda \left(\int_{\underline{a}}^{a^*} U^w(a|\phi_0) dG + \int_{a^*}^{a_{max}} U^w(a|\phi_1) dG \right) \right. \\ & \left. + (1 - \lambda) \left(\int_{\underline{a}}^{a^*} U^e(a|\phi_0) dG + \int_{a^*}^{a_{max}} U^e(a|\phi_1) dG \right) \right\} \\ \text{s.t.} \quad & m^0 \cdot L_s(\phi_0) = \int_{\underline{a}}^{a^*} L(a|\phi_0) dG, \\ & m^1 \cdot L_s(\phi_1) = \int_{a^*}^{a_{max}} L(a|\phi_1) dG, \\ & m^0 + m^1 = G(\underline{a}). \end{aligned}$$

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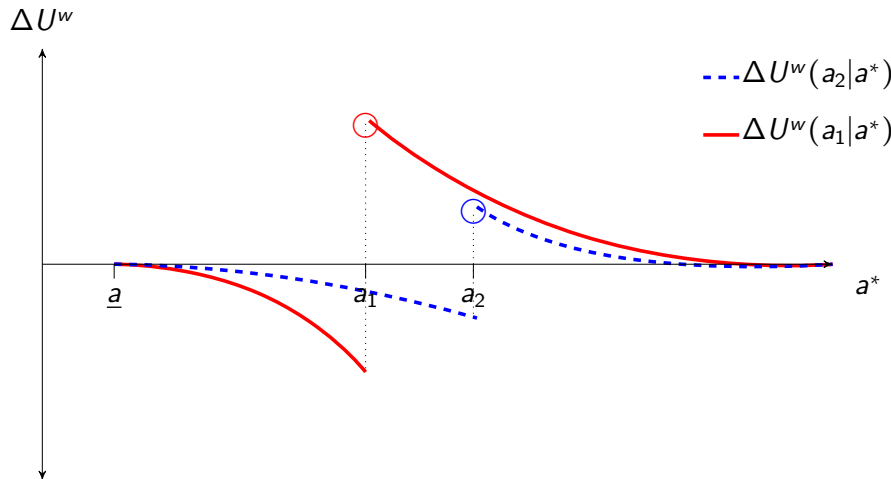
Flexible wages: political preferences

Workers, case: $a < \hat{a}$



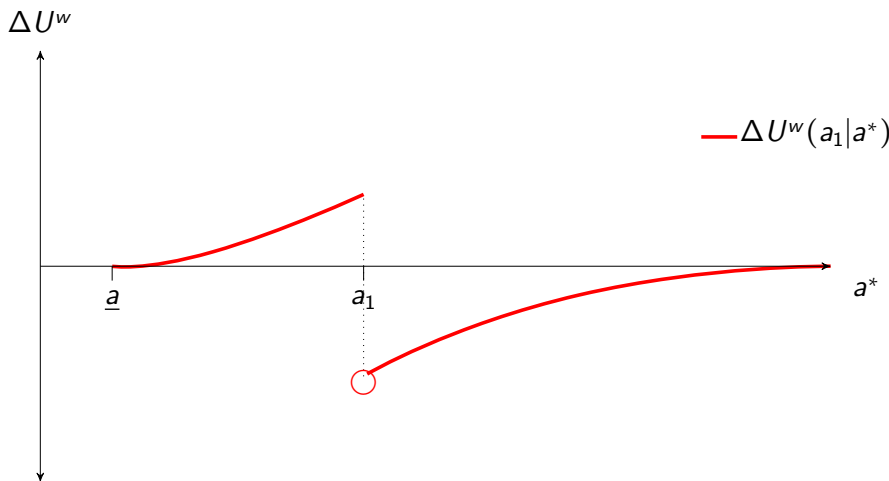
Flexible wages: political preferences

Workers, case: $a < \hat{a}$



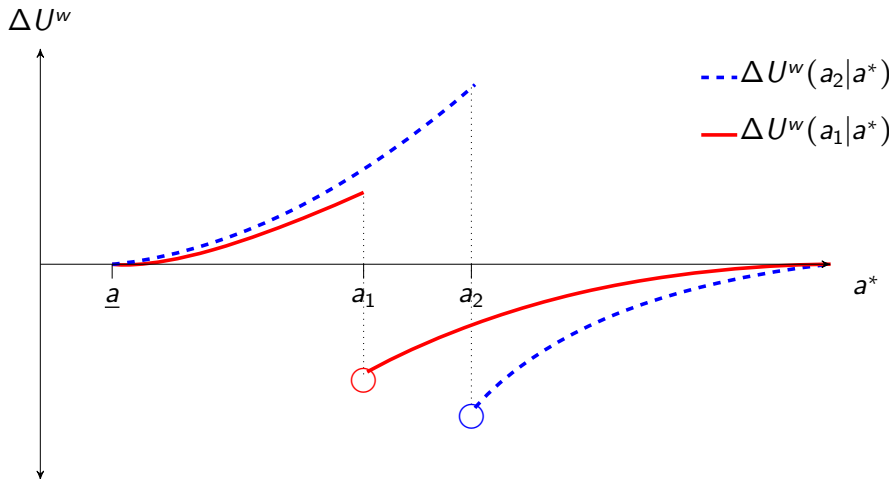
Flexible wages: political preferences

Workers, case: $a > \hat{a}$



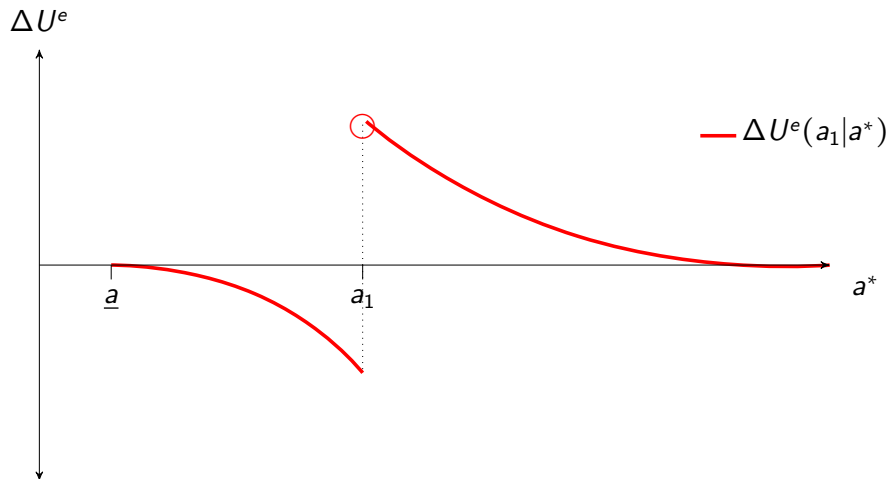
Flexible wages: political preferences

Workers, case: $a > \hat{a}$



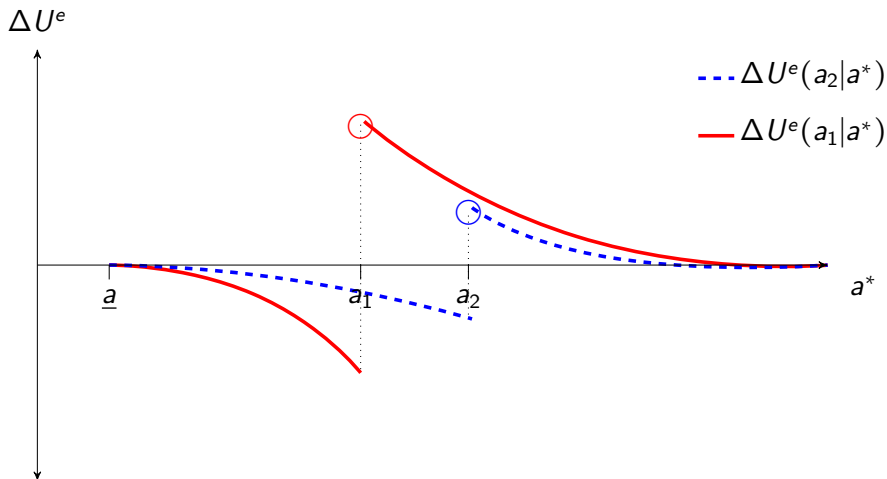
Flexible wages: political preferences

Entrepreneurs



Flexible wages: political preferences

Entrepreneurs



- Firms strategically adjust their size:
 - Under-invest.
 - Under-report.

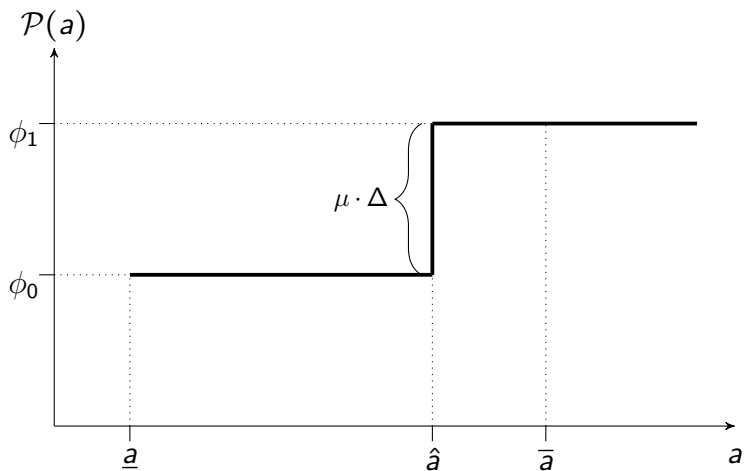
- **Alternative mechanism:**
 - Decentralized bargaining between unions and entrepreneurs.
 - Policy instrument: bargaining power of unions, $\mu \in [0, 1]$.

Can the government choose μ to achieve
 $\bar{U}(a^*, \lambda)$?

Can the government choose μ to achieve $\bar{U}(a^*, \lambda)$?

YES! For a set of λ 's.

Implementation: bargaining



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